

Including  $g$  tends to add a breadth-first component to the search and thus ensures that no part of the implicit graph will go permanently unsearched.

The relative weights of  $g$  and  $h$  in the evaluation function can be controlled by using  $f = g + wh$ , where  $w$  is a positive number. Very large values of  $w$  overemphasize the heuristic component, while very small values of  $w$  give the search a predominantly breadth-first character. Experimental evidence suggests that search efficiency is often enhanced by allowing the value of  $w$  to vary inversely with the depth of a node in the search tree. At shallow depths, the search relies mainly on the heuristic component, while at greater depths, the search becomes increasingly breadth-first, to ensure that some path to a goal will eventually be found.

To summarize, there are three important factors influencing the heuristic power of Algorithm A:

- (a) the cost of the path,
- (b) the number of nodes expanded in finding the path, and
- (c) the computational effort required to compute  $h$ .

The selection of a suitable heuristic function permits one to balance these factors to maximize heuristic power.

## 2.5. RELATED ALGORITHMS

### 2.5.1. BIDIRECTIONAL SEARCH

Some problems can be solved using production systems whose rules can be used in either a forward or a backward direction. An interesting possibility is to search in both directions simultaneously. The graph-searching process that models such a bidirectional production system can be viewed as one in which search proceeds outward simultaneously from both the start node and from a set of goal nodes. The process terminates when (and if) the two search frontiers meet in some appropriate fashion.