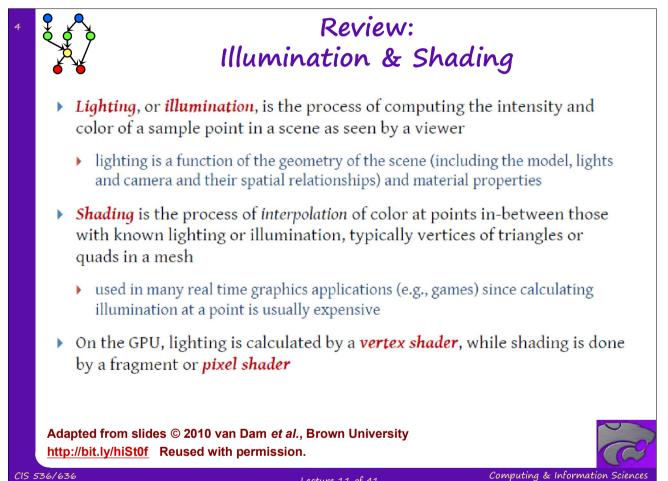


Lecture	Topic	Primary Source(s)	
0	Course Overview	Chapter 1, Eberly 2 <sup>e</sup>	
1	CG Basics: Transformation Matrices; Lab 0	Sections (§) 2.1, 2.2	
2	Viewing 1: Overview, Projections	§ 2.2.3 – 2.2.4, 2.8	
3	Viewing 2: Viewing Transformation	§ 2.3 esp. 2.3.4; FVFH slides	
4	Lab 1a: Flash & OpenGL Basics	Ch. 2, 16 <sup>1</sup> , Angel Primer	
5	Viewing 3: Graphics Pipeline	§ 2.3 esp. 2.3.7; 2.6, 2.7	
6	Scan Conversion 1: Lines, Midpoint Algorithm	§ 2.5.1, 3.1; FVFH slides	
7	Viewing 4: Clipping & Culling; Lab 1b	§ 2.3.5, 2.4, 3.1.3	
8	Scan Conversion 2: Polygons, Clipping Intro	§ 2.4, 2.5 esp. 2.5.4, 3.1.6	
9	Surface Detail 1: Illumination & Shading	§ 2.5, 2.6.1 - 2.6.2, 4.3.2, 20.2	
10	Lab 2a: Direct3D / DirectX Intro	§ 2.7, Direct3D handout	
11	Surface Detail 2: Textures: OpenGL Shading	§ 2.6.3. 20.3 – 20.4. Finner	
12	Surface Detail 3: Mappings; OpenGL Textures	§ 20.5 – 20.13	
13	Surface Detail 4: Pixel/Vertex Shad.; Lab 2b	§ 3.1	
14	Surface Detail 5: Direct3D Shading; OGLSL	§ 3.2 – 3.4, Direct3D handout	
15	Demos 1: CGA, Fun; Scene Graphs: State	§ 4.1 – 4.3, CGA handout	
16	Lab 3a: Shading & Transparency	§ 2.6, 20.1, Primer	
17	Animation 1: Basics, Keyframes; HW/Exam	§ 5.1 – 5.2	
	Exam 1 review; Hour Exam 1 (evening)	Chapters 1 – 4, 20	
18	Scene Graphs: Rendering; Lab 3b: Shader	§ 4.4 – 4.7	
19	Demos 2: SFX; Skinning, Morphing	§ 5.3 – 5.5, CGA handout	
20	Demos 3: Surfaces; B-reps/Volume Graphics	§ 10.4, 12.7, Mesh handout	



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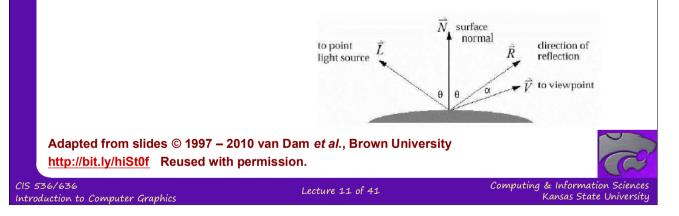
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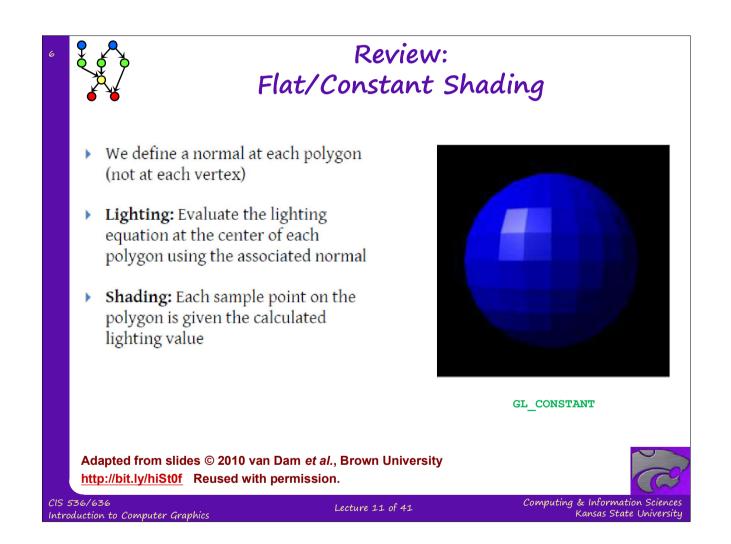


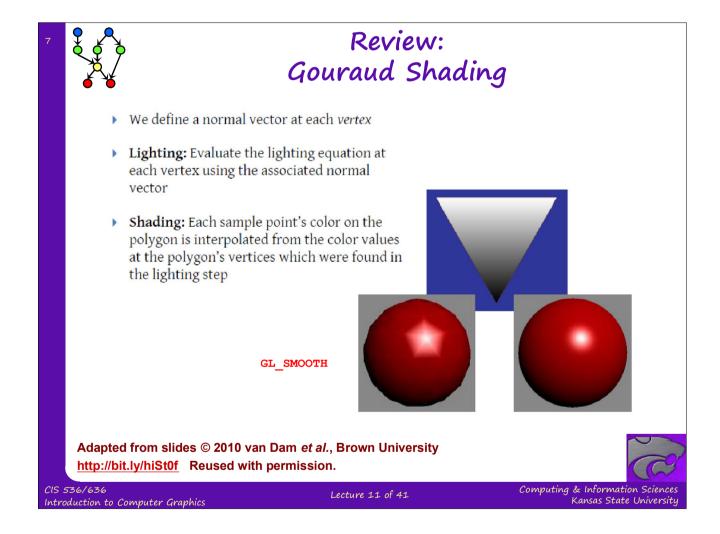
 The full Phong model is a combination of the Lambertian and specular terms (summing over all the lights)

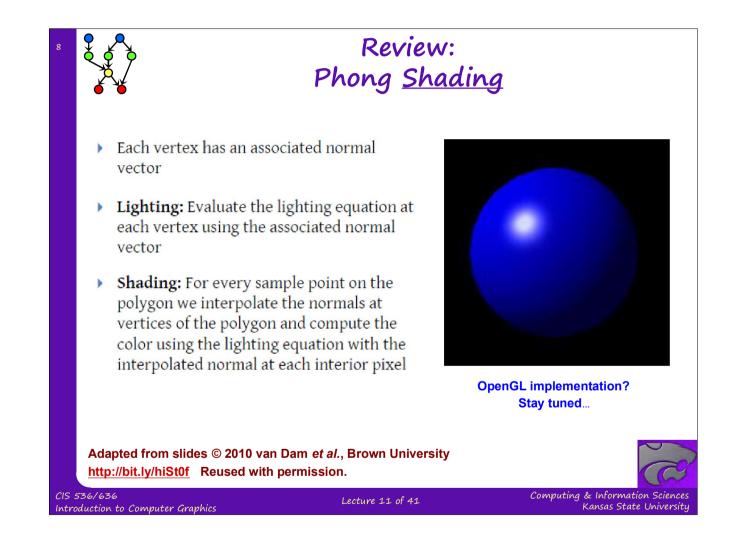
$$I_{\lambda} = i_{a_{\lambda}} k_{a_{\lambda}} O_{d_{\lambda}} + \sum_{m \in lights} f_{att} i_{d_{\lambda}} [k_{d_{\lambda}} (\mathbf{n} \cdot L_{m}) O_{d_{\lambda}} + k_{s_{\lambda}} (\mathbf{R}_{m} \cdot \mathbf{V})^{\alpha} O_{s_{\lambda}}]$$

- Subscript s represents specular (so  $k_s$ ) would be the specular coefficient
- $ightarrow R_m$  is the reflected direction of the light ray about the surface normal
- fatt is the lighting attenuation function
  - function of distance from the light













#### Other Source Material on Texture Mapping

#### David W. Jacobs



Associate Professor, <u>Computer Science Department</u> and <u>UMIACS</u>, at the University of Maryland.



#### **Tobias Isenberg**

Scientific Visualization and Computer Graphics Group Department of Mathematics and Computing Science University of Groningen

#### Formerly

Graphics Jungle Lab Department of Computer Science University of Calgary CPSC 599.64/601.64 Computer Graphics Fall 2005

**CMSC 427 Computer Graphics** 

Course: http://bit.ly/fXVA1A

Fall 2007

University of Maryland – College Park (UMD)

Instructor: http://www.cs.umd.edu/~djacobs

Course: <u>http://bit.ly/idD2qX</u> Instructor: <u>http://www.cs.rug.nl/~isenberg</u>

- Computer Graphics II lecture by Stefan Schlechtweg, Department of Simulation and Graphics, Otto-von-Guericke University of Magdeburg, Germany
- CPSC 407 and CPSC 453 lectures by Brian Wyvill, Department of Computer Science, University of Calgary, Canada

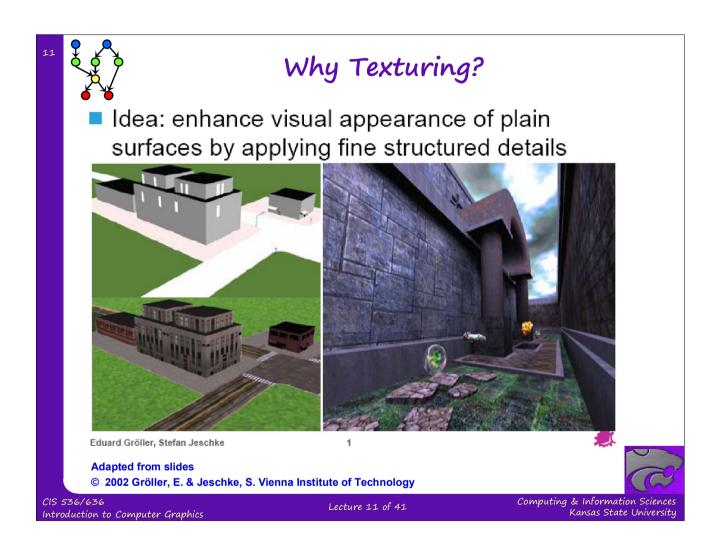


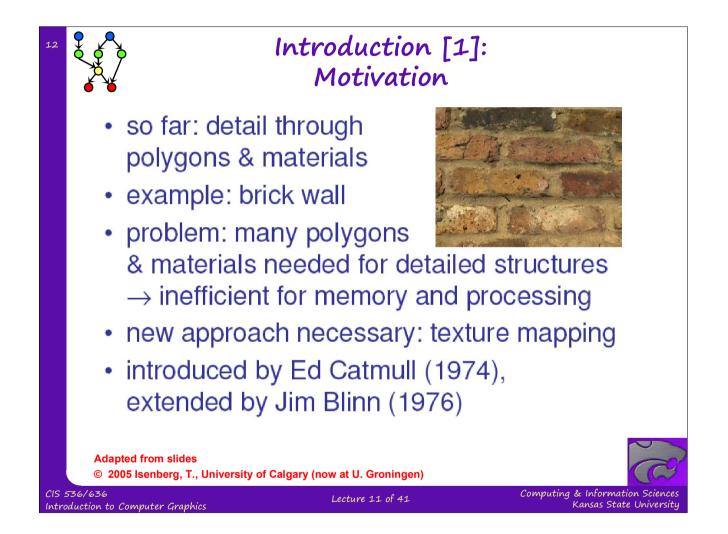
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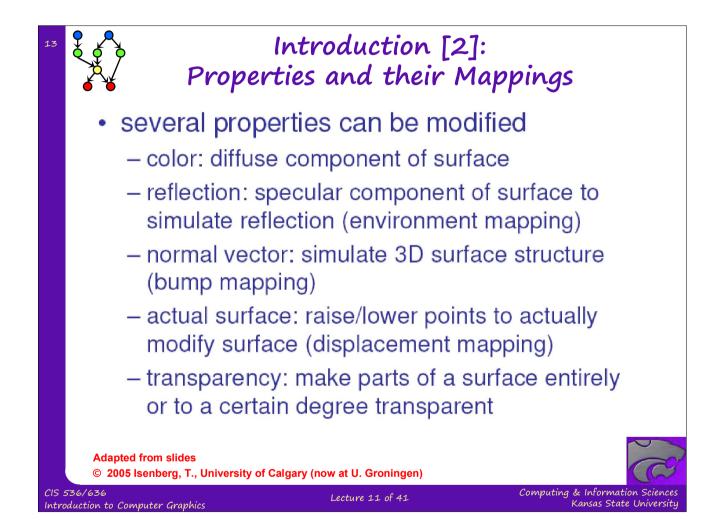
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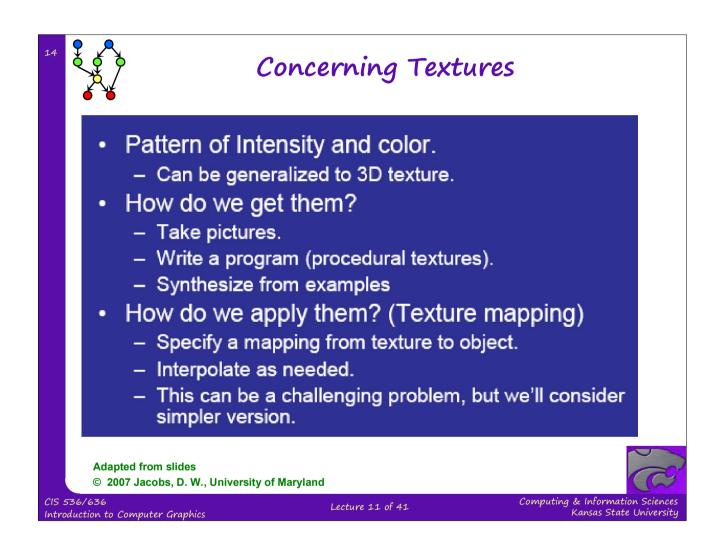
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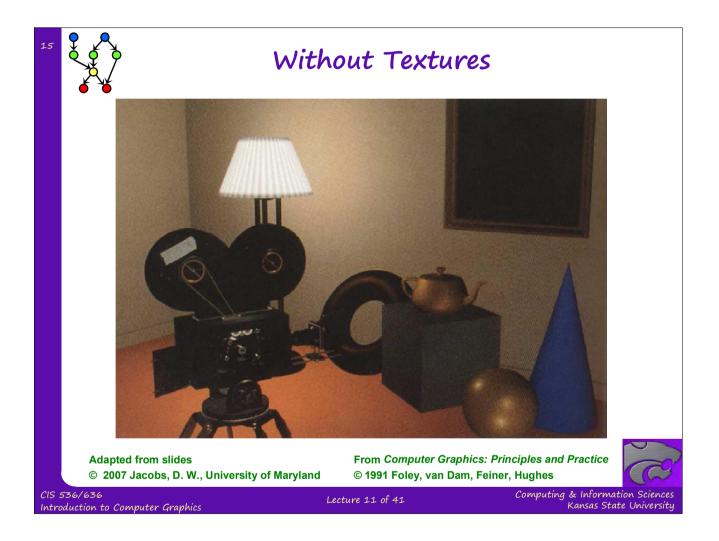
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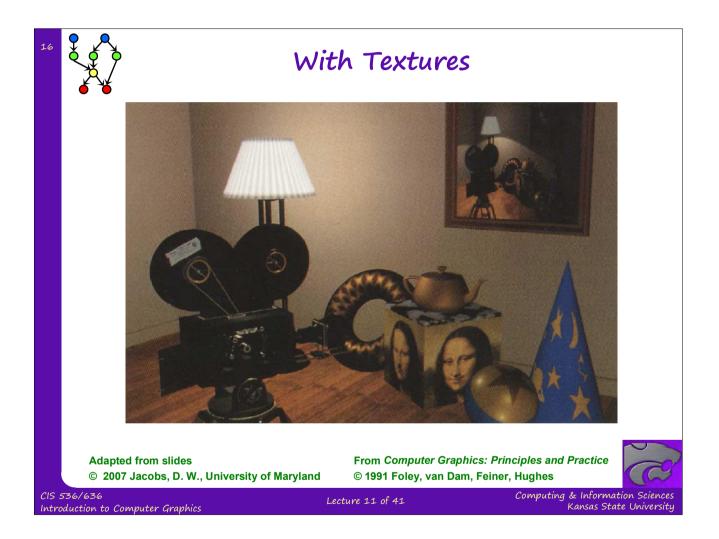






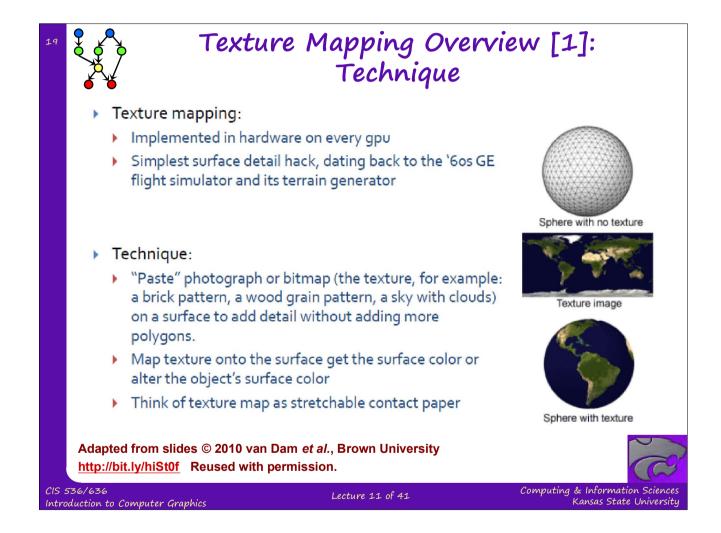


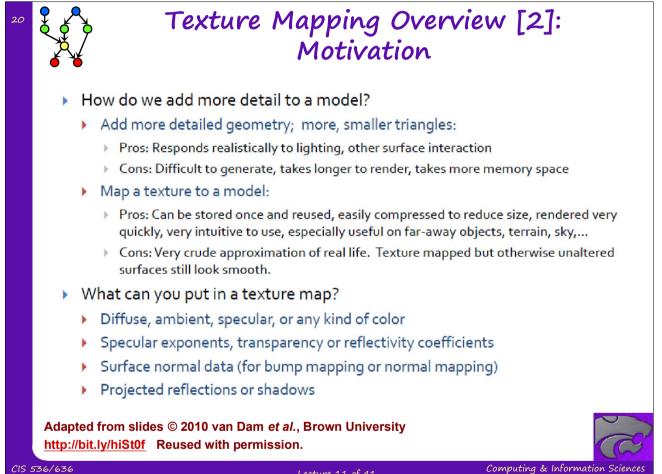








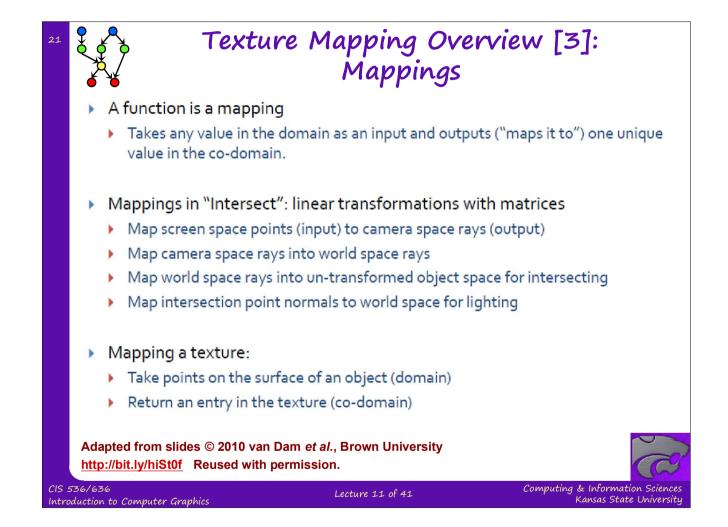




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### Texture Mapping How-To [1]: Goals and Texture Elements (Texels)

- texture: typically 2D pixel image
- texel: pixel in a texture
- determines the appearance of a surface
- procedure to map the texture onto the surface needed
  - easy for single triangle
  - complex for arbitrary 3D surface
- goal: find easy way to do this mapping

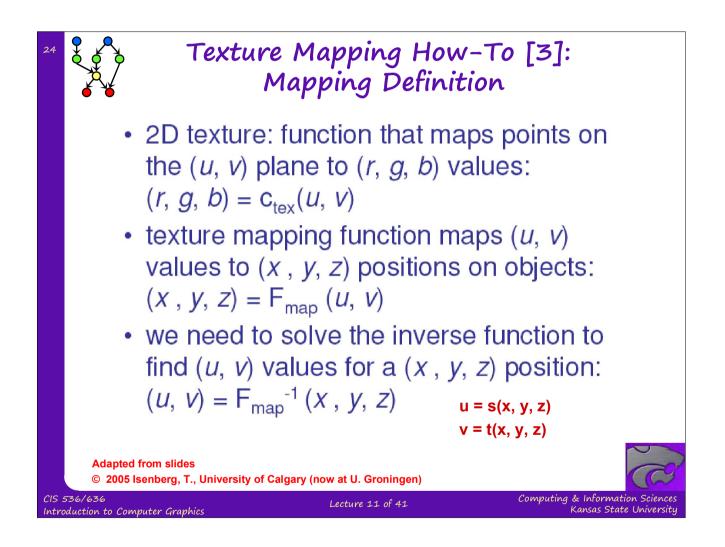


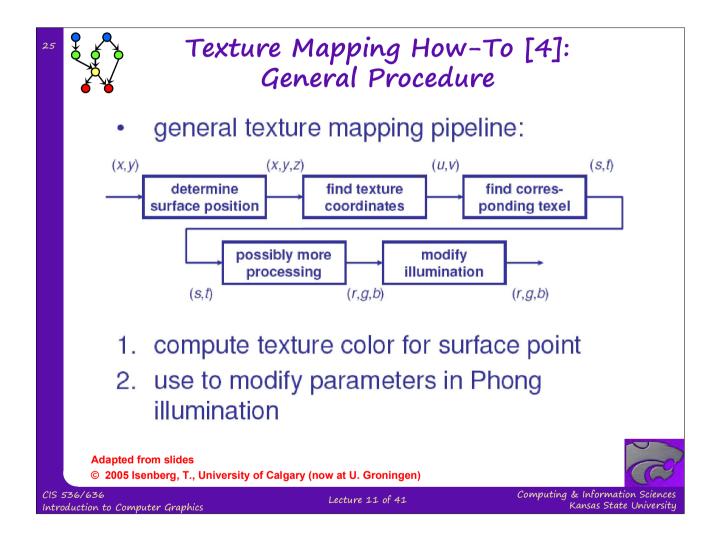
# Texture Mapping How-To [2]: Adapting Polygons-to-Pixels Pipeline rendering pipeline slightly modified to use new texture mapping function algorithm: for each pixel to be rendered - find depicted surface point - find point in texture (texel) that corresponds to surface point - use texel color to modify the pixel's shading Adapted from slides © 2005 Isenberg, T., University of Calgary (now at U. Groningen) CIS 536/636

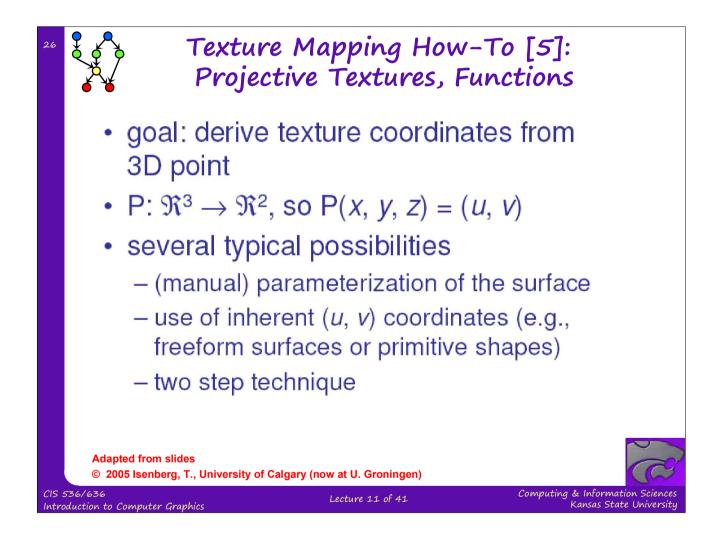
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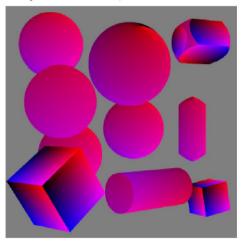
## Texture Mapping How-To [6]: (Manual) Surface Parameterization

- simplest technique
- specification of texture coordinates during modeling
- (*u*, *v*) coordinates specified for all vertices of a polygon
- interpolation between these values for points inside the polygon (e.g. barycentric interpolation for triangles)



#### Texture Mapping How-To [7]: Inherent (u, v) Coordinates

- (u, v) coordinates derived from parameter directions of surface patches (e.g., Bézier and spline patches)
- obvious (*u*, *v*) coordinates derived for primitive shapes (e.g., boxes, spheres, cones, cylinders, etc.)
- used as defaults

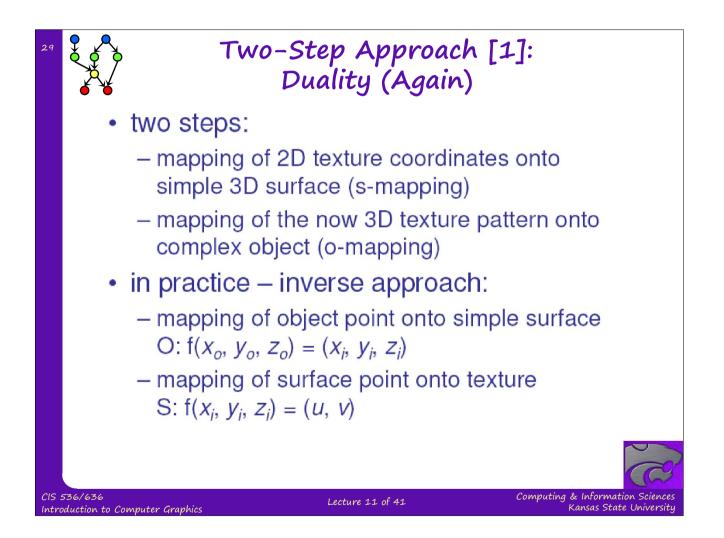


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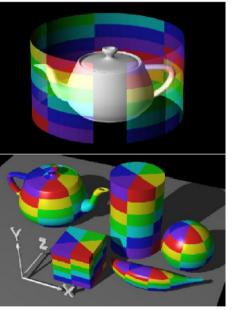
#### Two-Step Approach [2]: Example – Cylindrical Mapping

 mapping onto cylinder surface given by height h<sub>0</sub> and angle θ<sub>0</sub>

$$S: (\theta, h) \to (u, v) = \left(\frac{r}{c}(\theta - \theta_0), \frac{1}{d}(h - h_0)\right)$$

using scaling factors c, d, and the radius r

 discontinuity along one line parallel to center axis



from R. Wolfe: Teaching Texture Mapping



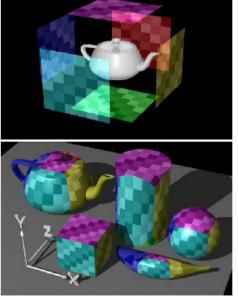
## Two-Step Approach [3]: Example – Spherical Mapping • mapping onto surface of a sphere given by spherical coordinates $f:(r,\phi,\theta) \rightarrow (u,v) = \left(\frac{\theta}{2\pi}, \frac{(\pi/2) + \phi}{\pi}\right)$ • no non-distorting mapping possible between plane and sphere surface $f:(r, \psi, \theta) \rightarrow (u, v) = \left(\frac{\theta}{2\pi}, \frac{(\pi/2) + \phi}{\pi}\right)$

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#### Two-Step Approach [4]: Example – Planar Mapping mapping onto planar surface given by position vector $\vec{v_0}$ and two vectors $\vec{s}$ and $\vec{t}$ $S:(x,y,z) \to (u,v) = \left(\frac{\vec{v} \cdot \vec{s}}{k}, \frac{\vec{v} \cdot \vec{t}}{k}\right)$ · scaling factor k and $\vec{v} = \vec{P}_i - \vec{v}_0$ (describes point position w.r.t. the origin of the plane) from R. Wolfe: Teaching Texture Mapping Computing & Information So CIS 536/636 Lecture 11 of 41 Introduction to Computer Graphics Kansas State Univers

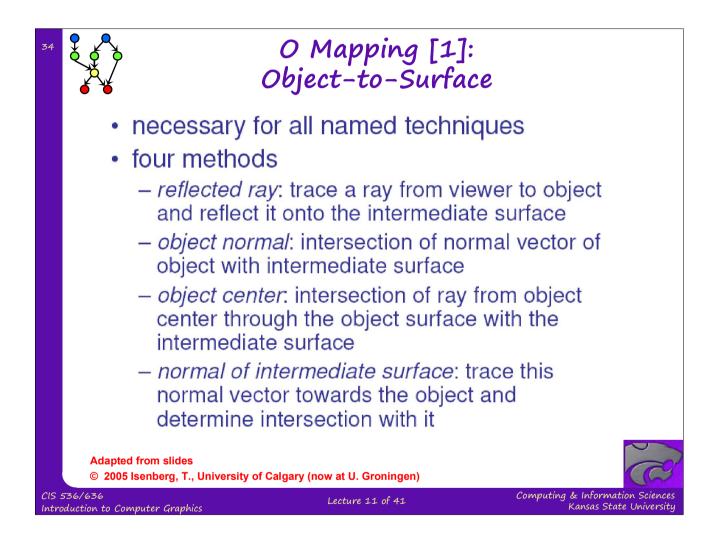
#### Two-Step Approach [5]: Example – Cuboid/Box Mapping

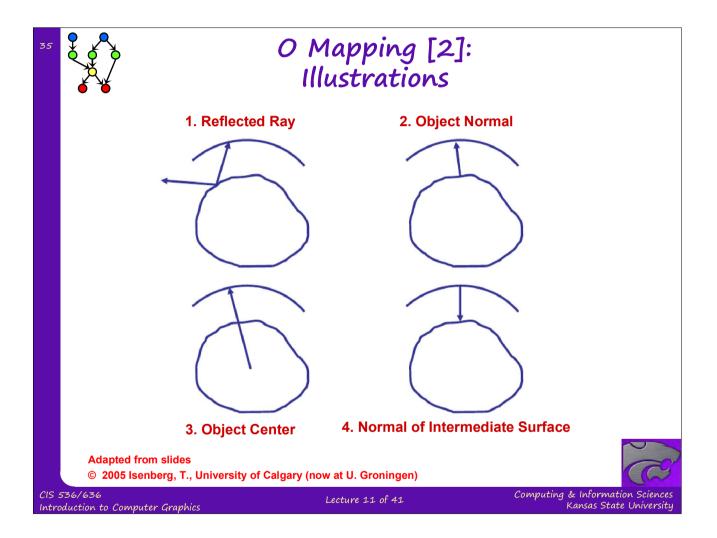
- enclosing box is usually axis-parallel bounding box of object
- six rectangles onto which the texture is mapped
- similar to planar mapping

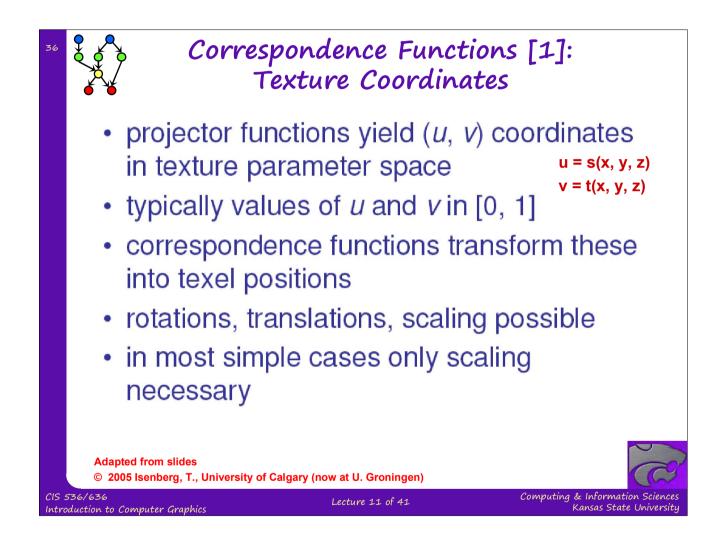


from R. Wolfe: Teaching Texture Mapping





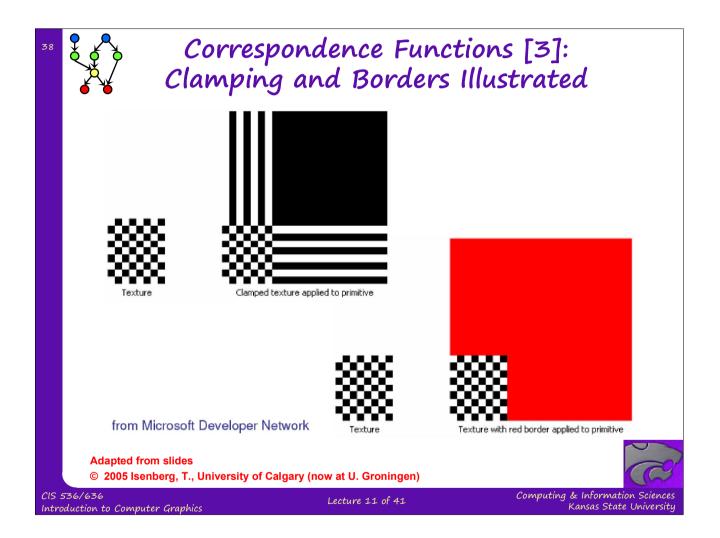




# Correspondence Functions [2]: Tiling, Mirroring, Clamping, Borders

- problem: what happens outside of [0, 1]?
- typical approaches
  - texture repetition (tiling) using modulo function
  - texture mirroring better continuity at texture seams
  - clamping: repeat the last value of the texture edges for values outside of [0, 1]
  - border color: use a specified color for all nondefined values

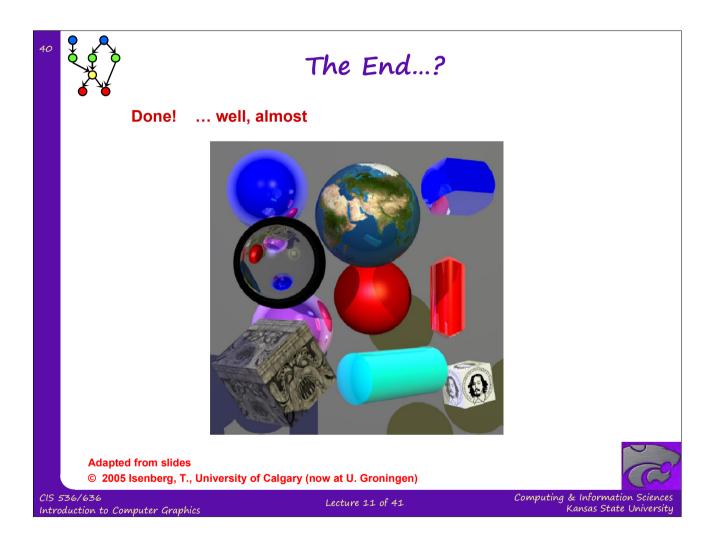


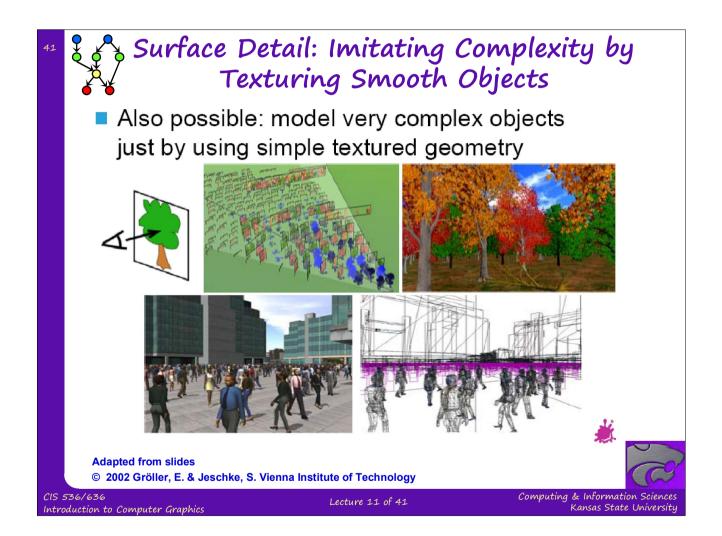


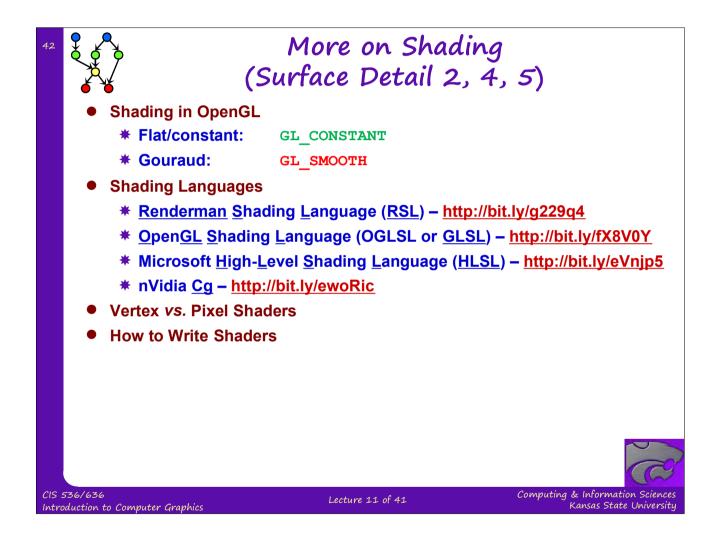
## Application of Texture Values: Combining Texturing and Lighting

- from an (x, y, z) position we derived an (r, g, b) color value from the texture, potentially with α transparence value
- · is typically used to modify illumination
- methods:
  - replace: surface color value is replaced with texture color
  - decal:  $\alpha$  blending of texture and original color
  - modulate: multiplication of original color value with texture color

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#### 43



Frank Pfenning Professor of Computer Science School of Computer Science Carnegie Mellon University http://www.cs.cmu.edu/~fp/

### Source Material on OpenGL Shading

15-462 Computer Graphics I Lecture 8

### Shading in OpenGL

February 14, 2002 Frank Pfenning Carnegie Mellon University

http://www.cs.cmu.edu/~fp/courses/graphics/

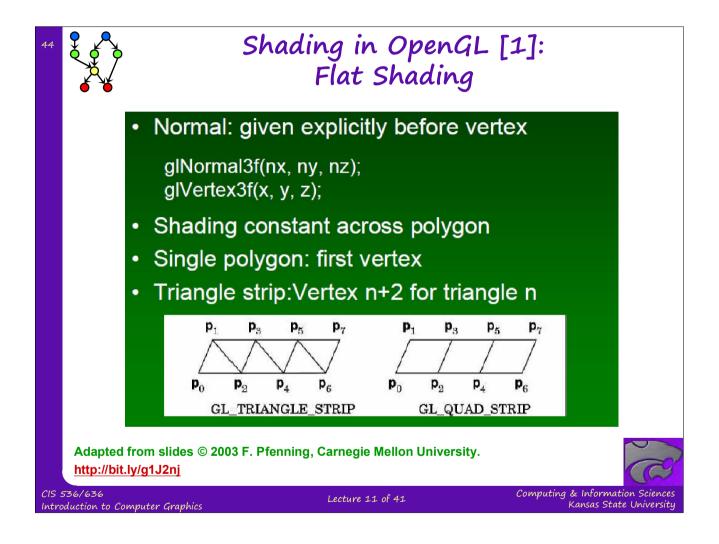
Polygonal Shading Light Source in OpenGL Material Properties in OpenGL Normal Vectors in OpenGL Approximating a Sphere [Angel 6.5-6.9]

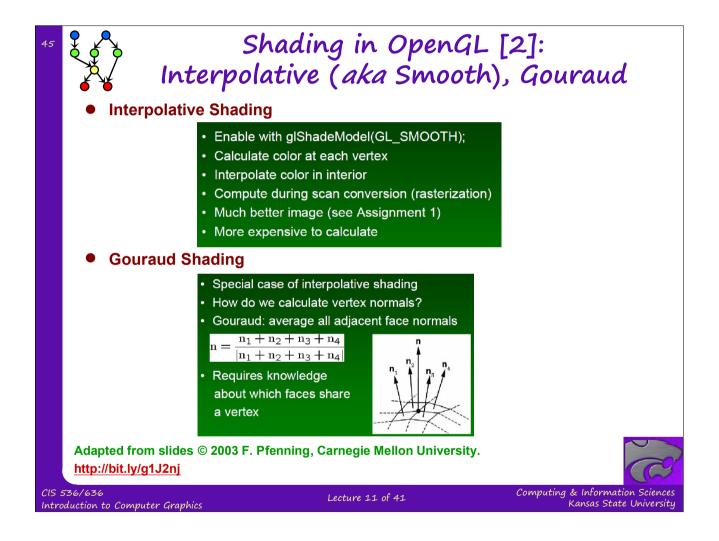
Adapted from slides © 2003 F. Pfenning, Carnegie Mellon University. http://bit.ly/g1J2nj

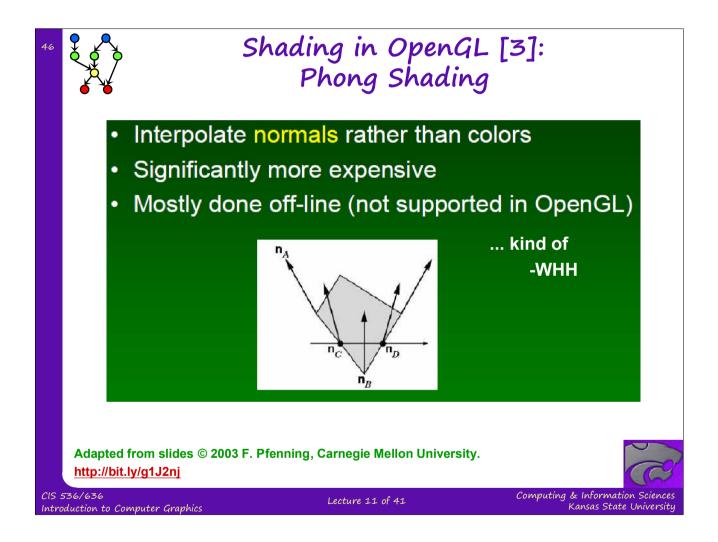
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47	Shading in OpenGL [5]: Specifying & Enabling Light Sources
	Enabling Light Sources
	<ul> <li>Lighting in general must be enabled glEnable(GL_LIGHTING);</li> <li>Each individual light must be enabled glEnable(GL_LIGHT0);</li> <li>OpenGL supports at least 8 light sources</li> </ul>
	Specifying Point Light Source
	<ul> <li>Use vectors {r, g, b, a} for light properties</li> </ul>
	<ul> <li>Beware: light source will be transformed!</li> </ul>
	GLfloat light_ambient[] = {0.2, 0.2, 0.2, 1.0}; GLfloat light_diffuse[] = {1.0, 1.0, 1.0, 1.0}; GLfloat light_specular[] = {1.0, 1.0, 1.0, 1.0}; GLfloat light_position[] = {-1.0, 1.0, -1.0, 0.0}; glLightfv(GL_LIGHT0, GL_AMBIENT, light_ambient); glLightfv(GL_LIGHT0, GL_DIFFUSE, light_diffuse); glLightfv(GL_LIGHT0, GL_SPECULAR, light_specular); glLightfv(GL_LIGHT0, GL_POSITION, light_position);
	Adapted from slides © 2003 F. Pfenning, Carnegie Mellon University. http://bit.ly/g1J2nj
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